

Mitigation of MicroGrid Power Oscillations using PMU data

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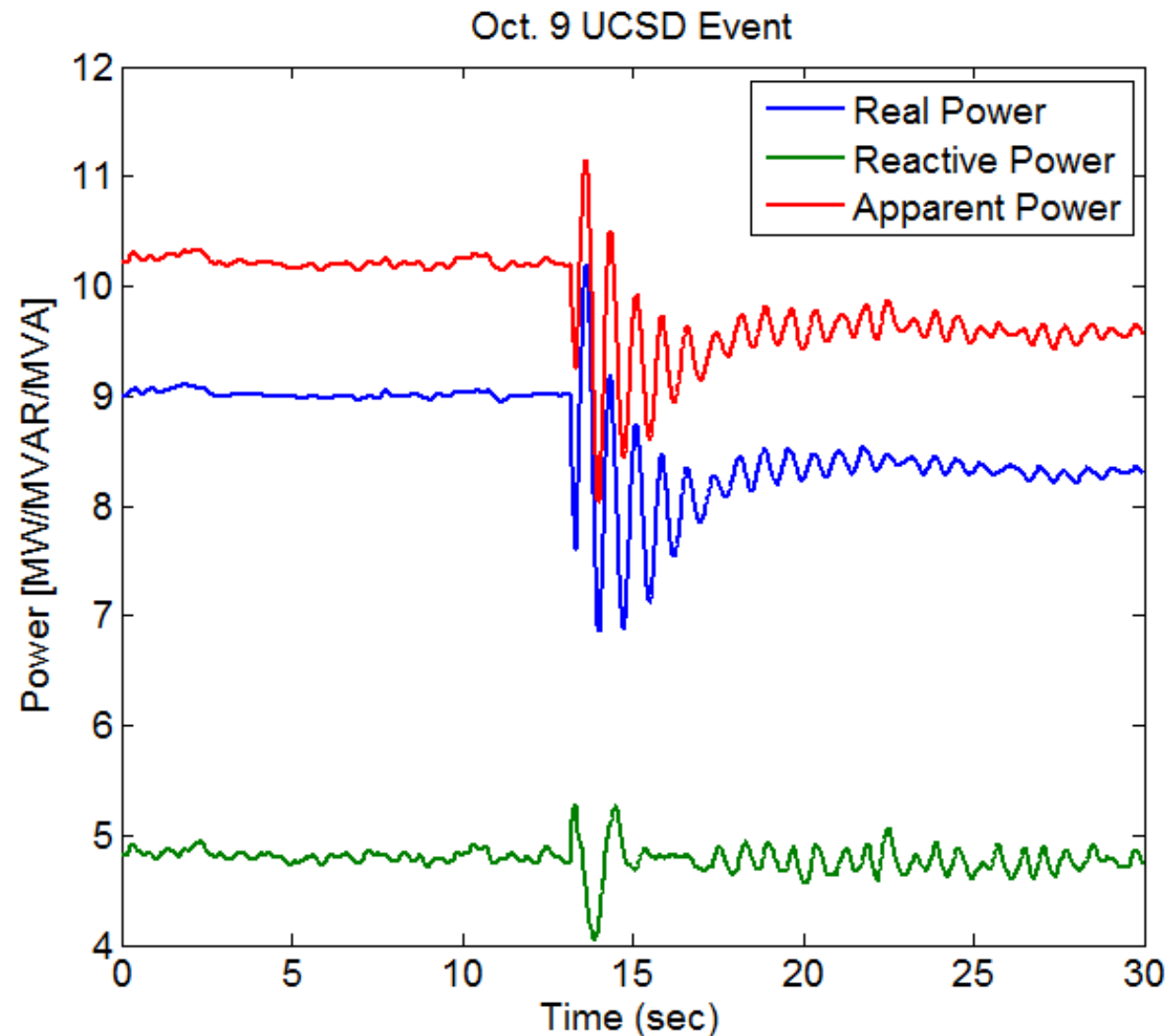
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Measurements from
SEL breaker at 12kV
3 phase line (6.9kV
phase to phase)

- RMS Voltage and Current of 3 phases
- Real Power
- Apparent Power



What can we do to mitigate (micro)grid events?

Events = excitation of grid:

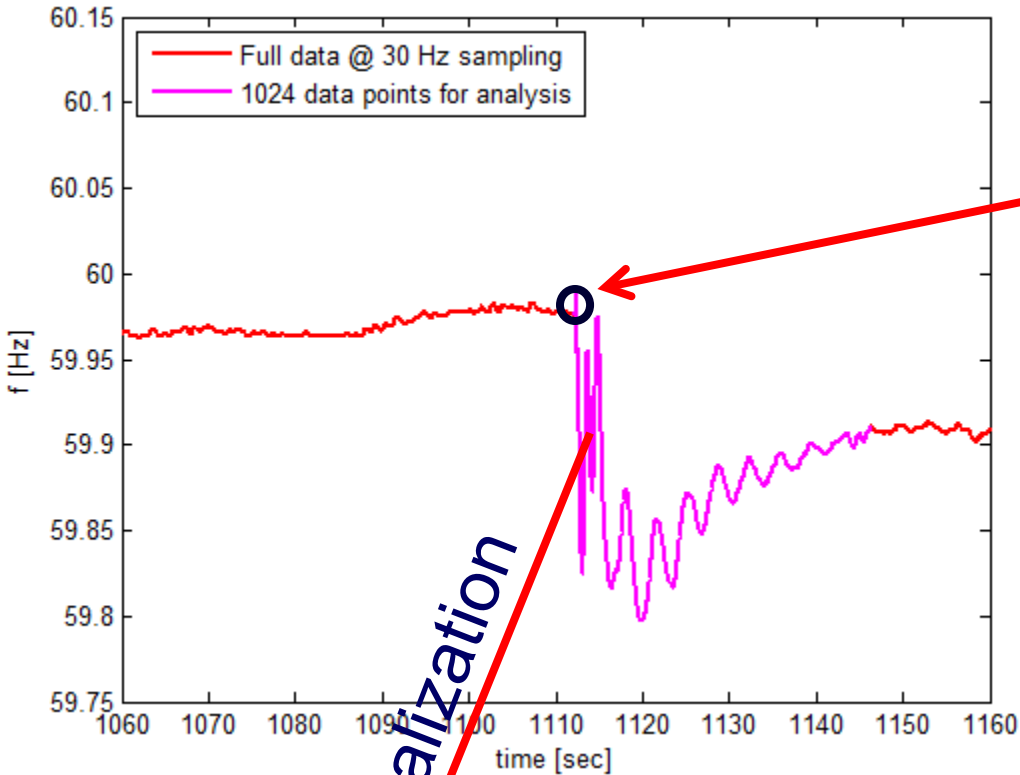
- Measurement of this event (PMU data)
- Possibility to model dynamics
- Possibility to dampen oscillations

Approach out Outline of Talk:

- Realization algorithm to model (local) grid dynamics
- Control architecture to mitigate oscillations
- Control algorithm and Results

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Disturbance in F3 in JSIS data



detect beginning of event

realization

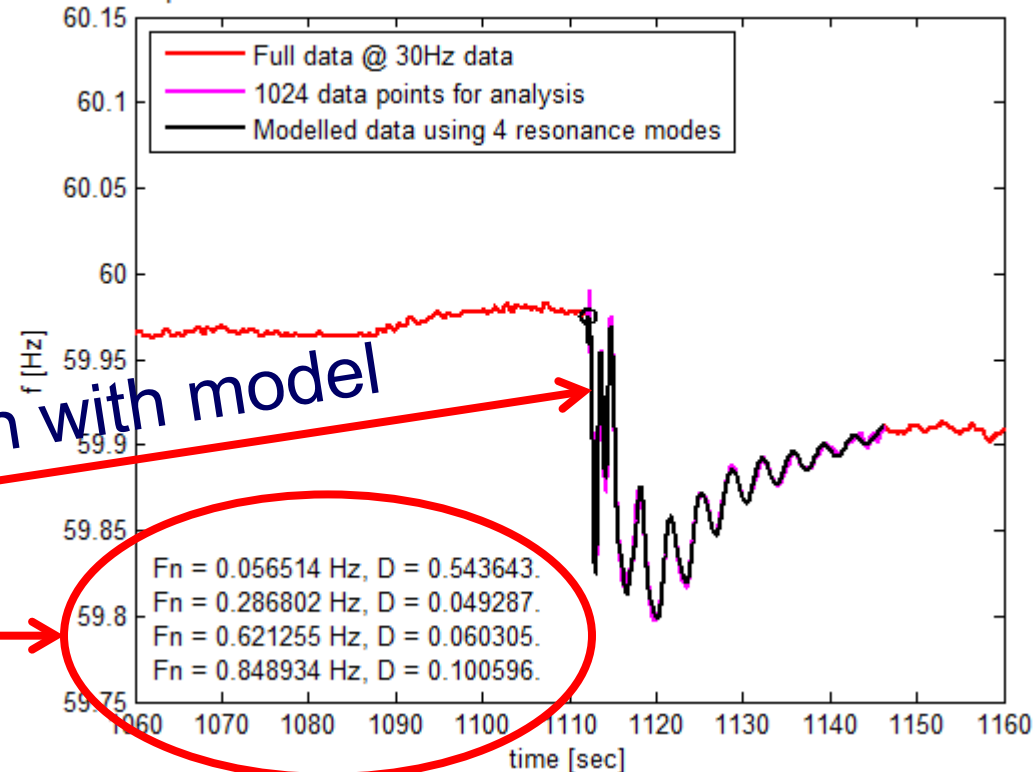
simulation with model

analysis

$$x(t+1) = Ax(t) + Bd(t)$$

$$F(t) = Cx(t)$$

Comparison of actual disturbance in F3 in JSIS data and simulated disturbance



Approach:

- Assume observed event in frequency $F(t)$ is due to a deterministic system

$$x(k+1) = Ax(k) + Bd(k)$$

$$F(k) = Cx(k)$$

Discrete-time model

where (unknown) input $d(t)$ can be 'impulse' or 'step' or 'known shape'

- Store a finite number of data points of $F(t)$ in a special data matrix \mathbf{H}
- Inspect rank of (null projection on) \mathbf{H} : determines # modes
- Compute matrices A , B and C via Realization Algorithm.
- Extension of Ho-Kalman, Kung algorithm. Miller, de Callafon (2010)
- Applicable to multiple time-synchronized measurements! (multiple PMUs)

End Result:

- Dynamic model (state space model) can be used for
 - **Simulation:** simulate the disturbance data
 - **Analysis:** Compute resonance modes and damping (from eigenvalues of A)

Realization Algorithm:

excellent fit of
oscillation/damping

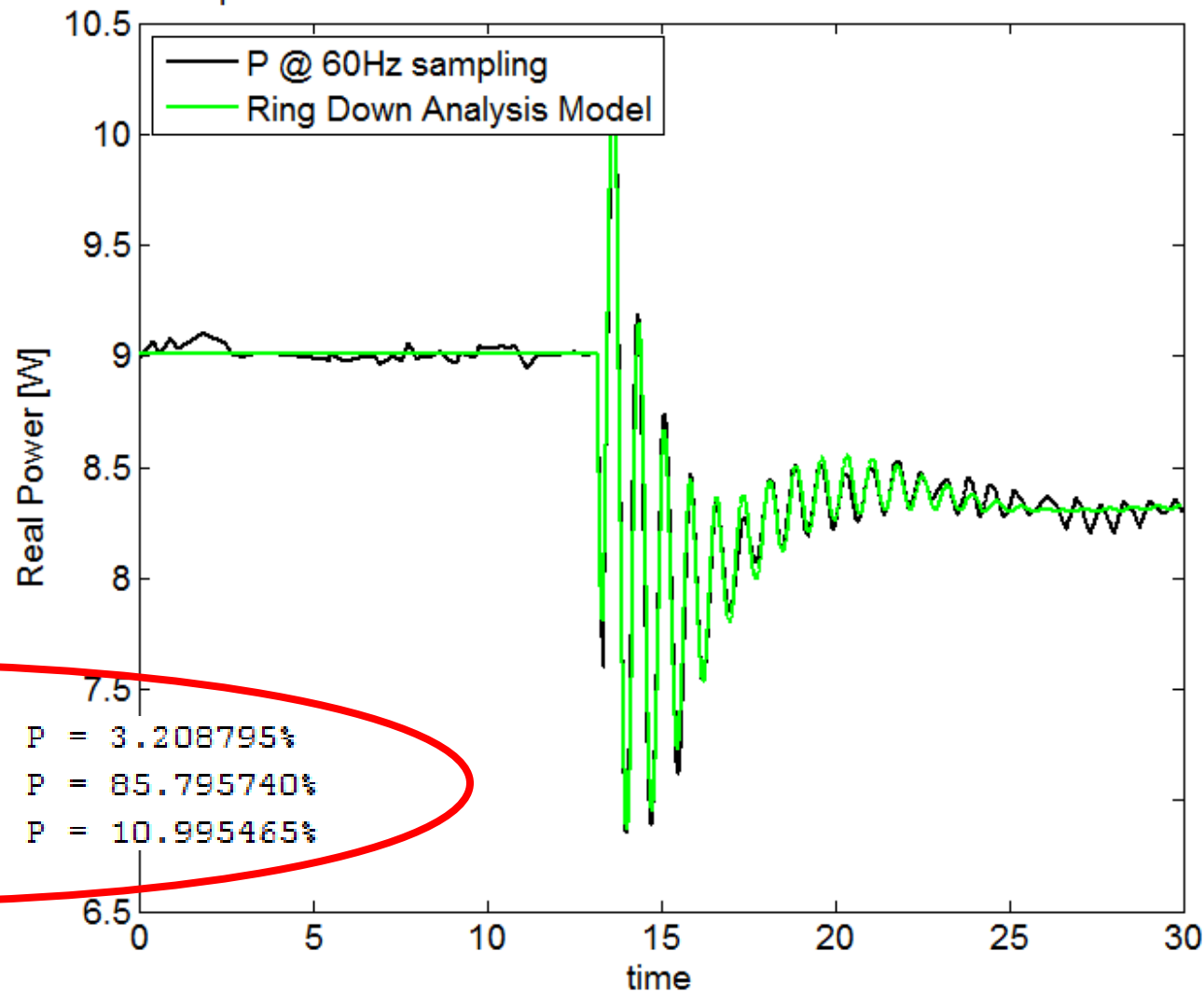
Modeled
frequencies F_n ,
damping D and
model participation P :

$F_n = 0.094653$ Hz, $D = 0.450955$, $P = 3.208795\%$
 $F_n = 1.353568$ Hz, $D = 0.044507$, $P = 85.795740\%$
 $F_n = 1.461354$ Hz, $D = 0.026519$, $P = 10.995465\%$

Mode around 1.4Hz

less than 5% damping, 85% participation

Comparison of actual disturbance in data and simulated disturbance



Dynamic model found
by **realization in Bode plot** (frequency domain)

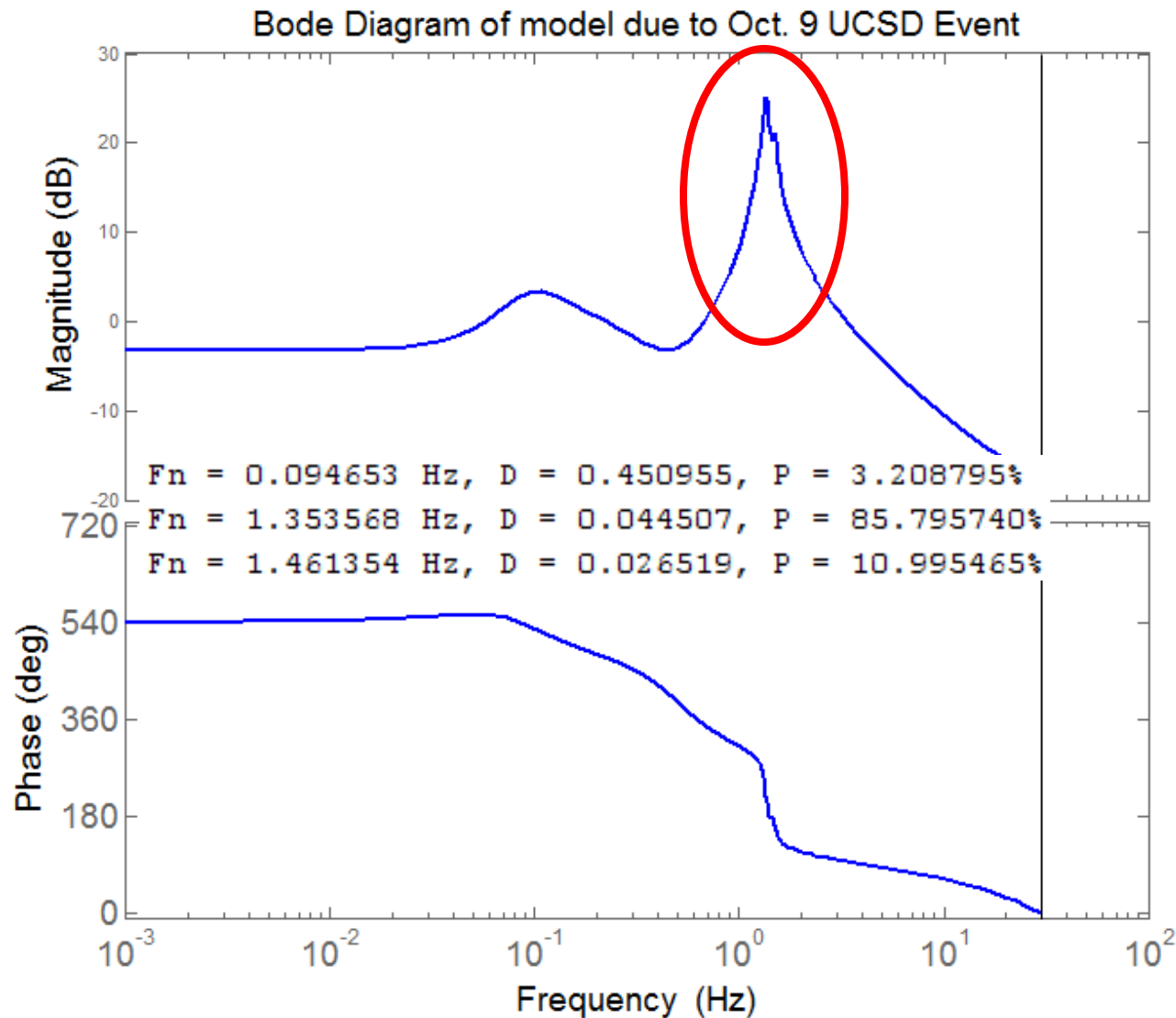
$$G(z) = C(zI - A)^{-1} B$$

$$|G(e^{j\omega\Delta t})|, \quad \angle G(e^{j\omega\Delta t})$$

Observe large resonance
frequency around 1.4Hz

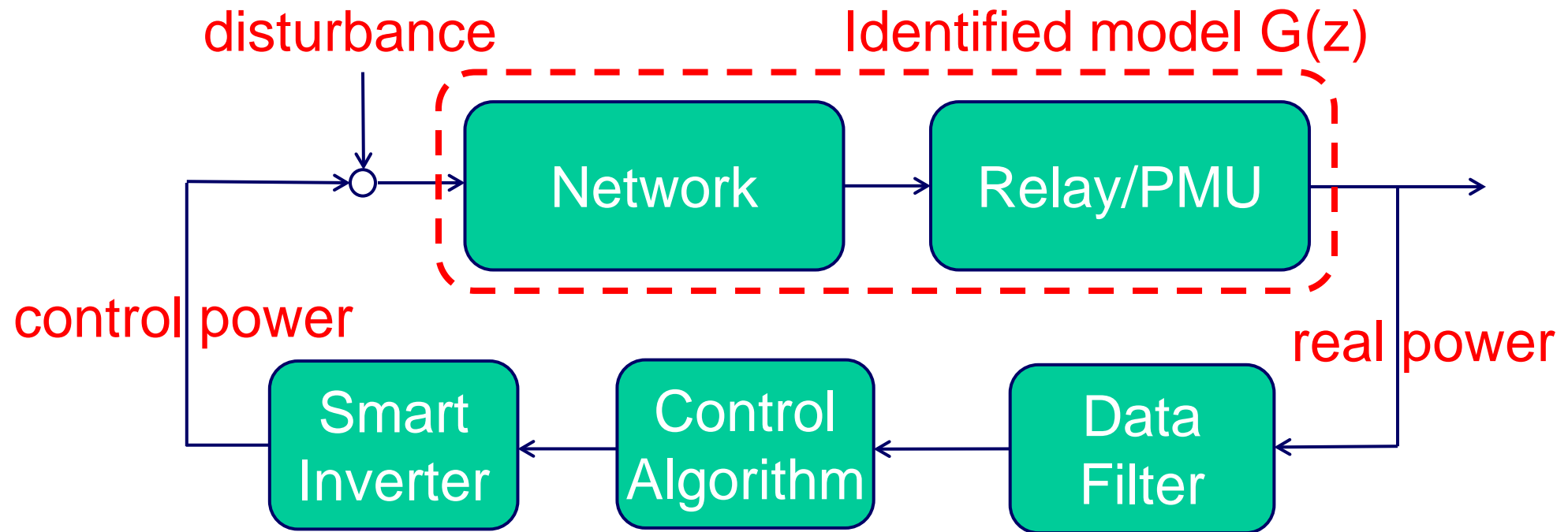
MITIGATION

**Control/damping of
1.4Hz oscillation**



MITIGATION

Control/damping of 1.4Hz oscillation via Real Power control:

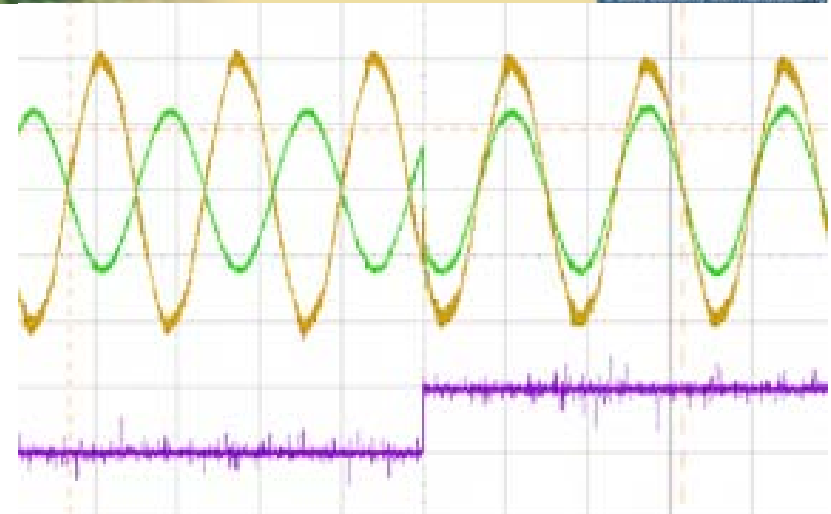


- What is the **smart inverter, data filter and control algorithm**?
- **How much control power is needed** to dampen oscillation?

Smart Inverter from One-cycle Control



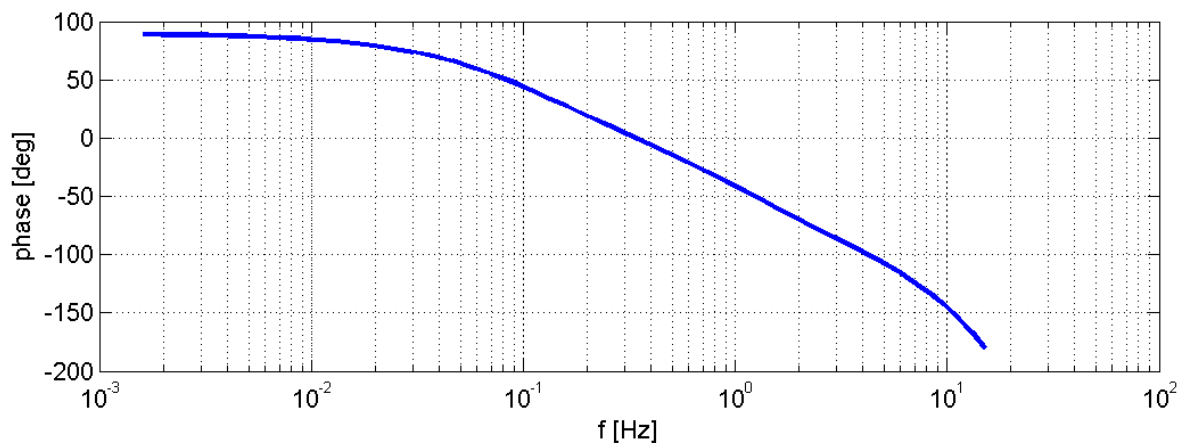
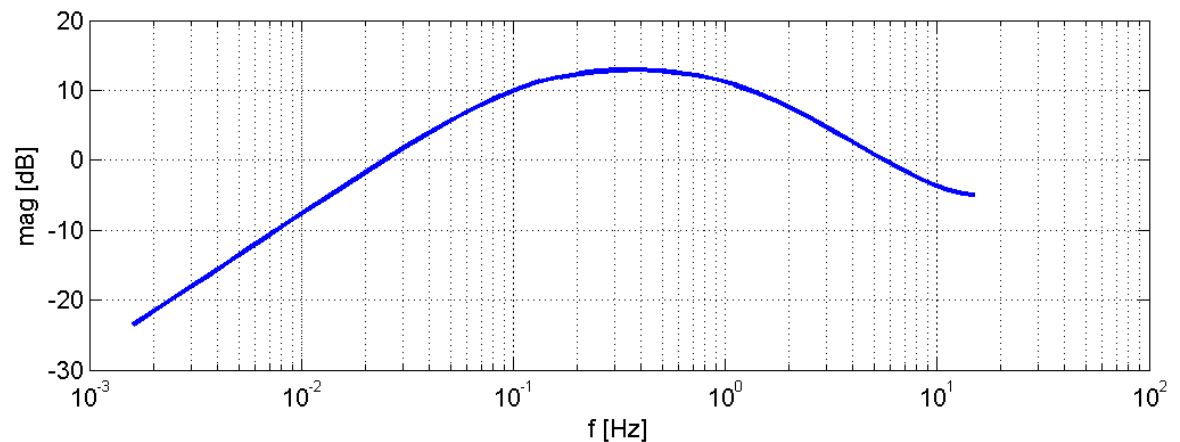
- Grid Tied Inverter (OCC-GTI)
- four quadrant operation
- Fast dynamics



Define a data filter $F(z)$ on the real-power data:

$$F(z) = \frac{z - 1}{(z - a)(z - b)}$$

- Discrete-time differentiator
- Two poles (a,b) to limit bandwidth of control to frequency range of interest.



Tuning of control algorithm $C(z)$ based on:

- Identified Discrete-Time Model $G(z)$:

$$\frac{-0.2791 z^6 + 1.677 z^5 - 4.204 z^4 + 5.63 z^3 - 4.249 z^2 + 1.713 z - 0.2882}{z^7 - 6.89 z^6 + 20.39 z^5 - 33.58 z^4 + 33.26 z^3 - 19.8 z^2 + 6.564 z - 0.9344}$$

- Chosen data filter $F(z)$ on the real-power data:

$$F(z) = \frac{z - 1}{(z - a)(z - b)}$$

- Known dynamics of smart inverter

Damping control (similar to a snubbing circuit):

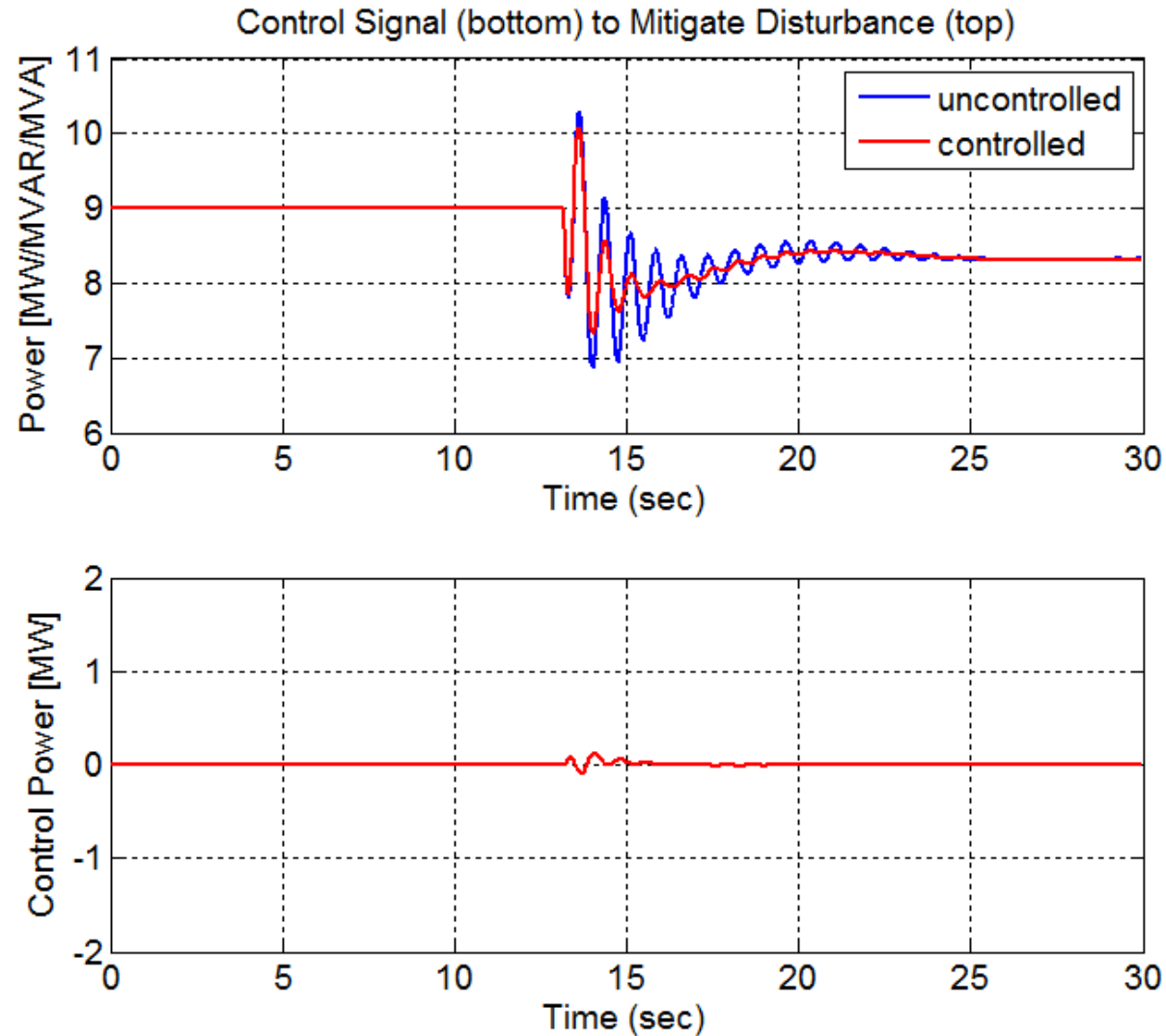
- $C(z) = K =$ simple gain **would do the job!**
- Improvement of damping via direct linear feedback control!

Fixed gain control does an O.K. job:

Gain K chosen such that control power is +/- 125KW

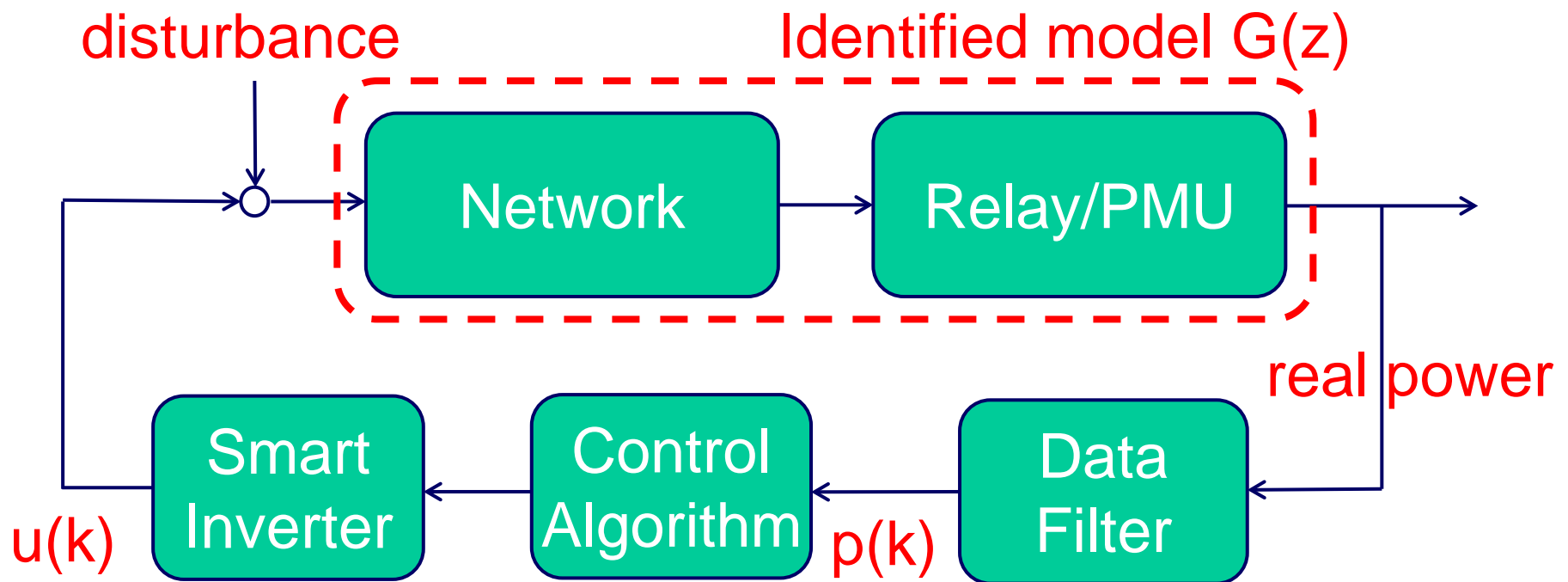
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Fn = 0.092977 Hz, D = 0.448233.
Fn = 1.349573 Hz, D = 0.132450.
```

- Damping increased from 2.6% to 13.2%
- Oscillations mitigated faster!
- However: requires (temp) power storage



Next step in advancement of control algorithm:

- Leave data filter $F(z)$ in place – defines “performance” signal $p(k)$
- Compute control algorithm that **minimizes variance of $p(k)$** while **maintaining bounds on $u(k)$** (power control)



Advanced control algorithm uses:

- Identified Discrete-Time Model $G(z)$:

$$\frac{-0.2791 z^6 + 1.677 z^5 - 4.204 z^4 + 5.63 z^3 - 4.249 z^2 + 1.713 z - 0.2882}{z^7 - 6.89 z^6 + 20.39 z^5 - 33.58 z^4 + 33.26 z^3 - 19.8 z^2 + 6.564 z - 0.9344}$$

- Chosen data filter $F(z)$ on the real-power data:

$$F(z) = \frac{z - 1}{(z - a)(z - b)}$$

- Known dynamics of smart inverter
- Computation of control power via Model Predictive Control (MPC) by direct computation of $u(l), l = k, \dots, n + k$ via

$$\min \sum_{l=k}^{k+n} p(k)^2 + \mu u(k)^2$$

$$\text{sub. to. } p(k) = G(z)F(z)u(k) + F(z)d(k)$$

$$\text{and } \alpha_l < u(k) < \alpha_u$$

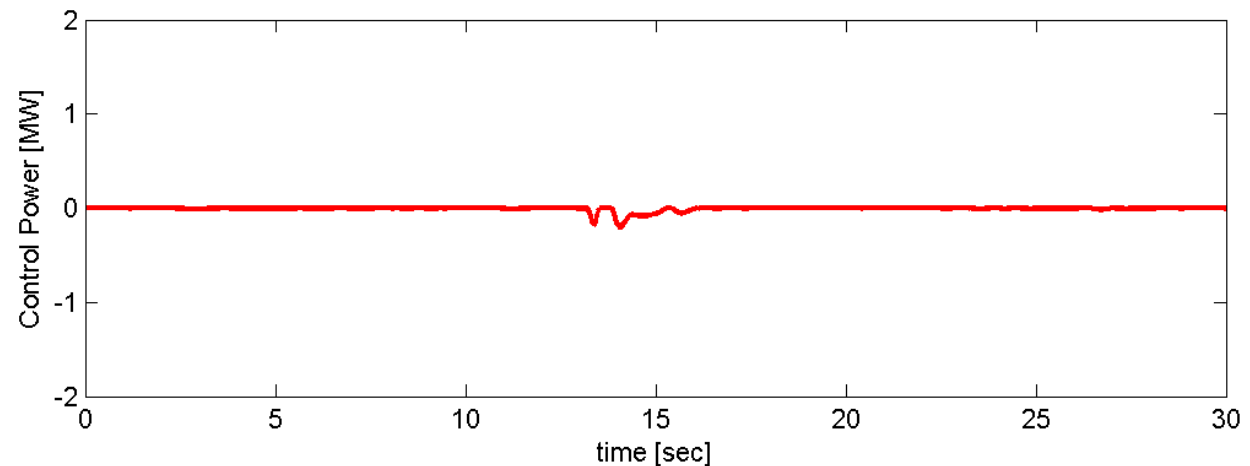
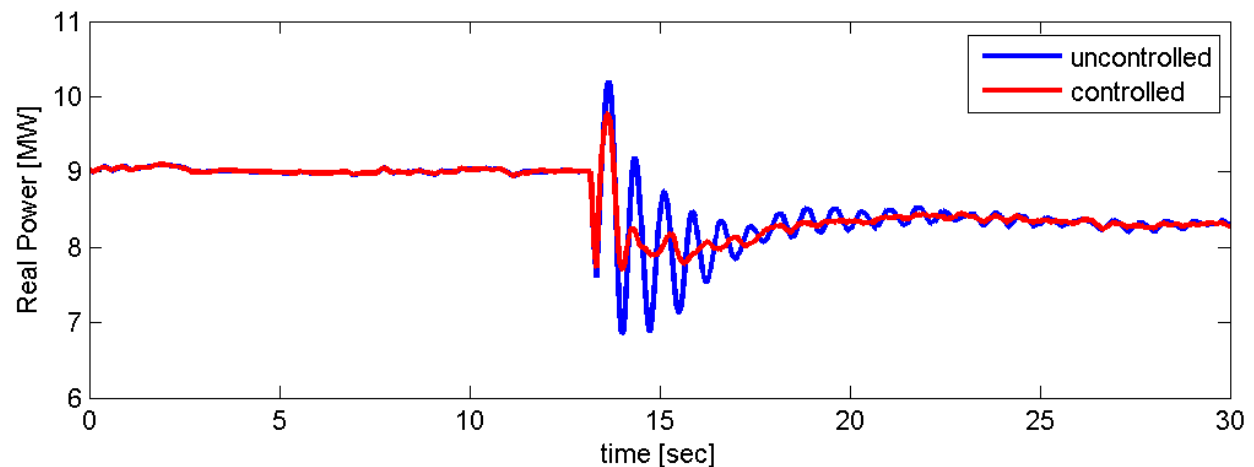
Results

- $\alpha_u = 0, \alpha_l = -0.25$

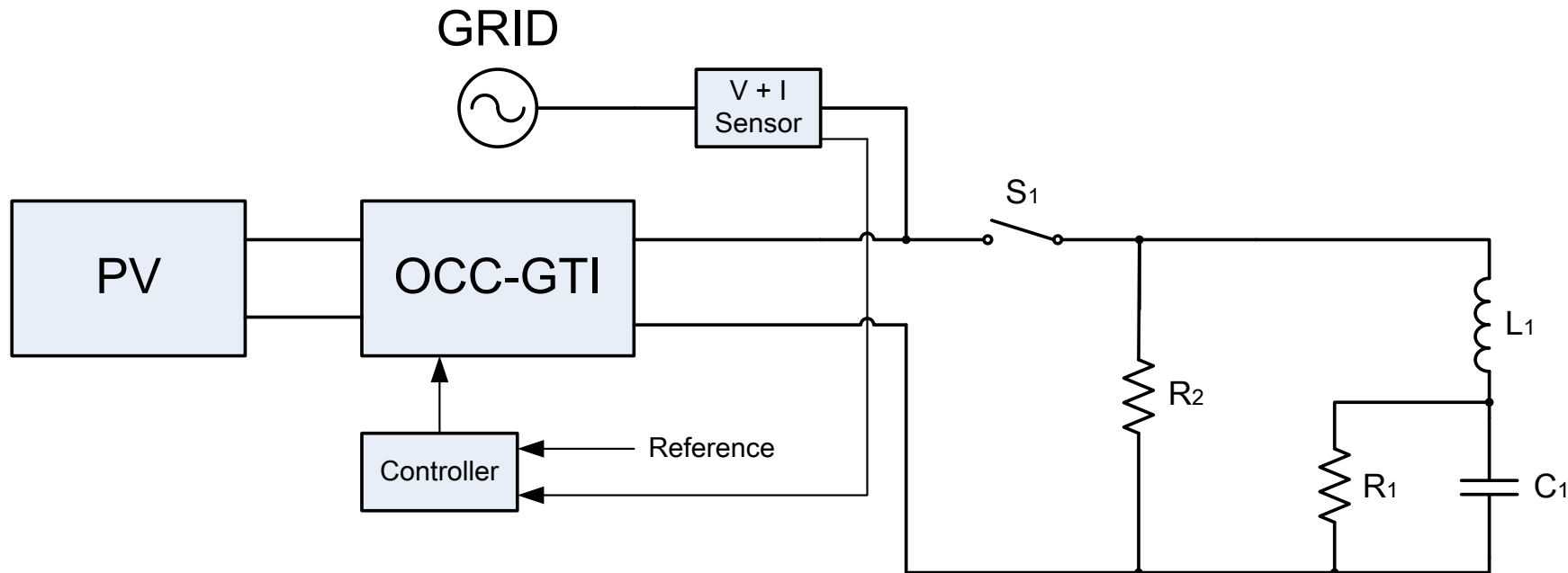
- Notice how control input is only “negative”

- Only needs (temp) power delivery reduction

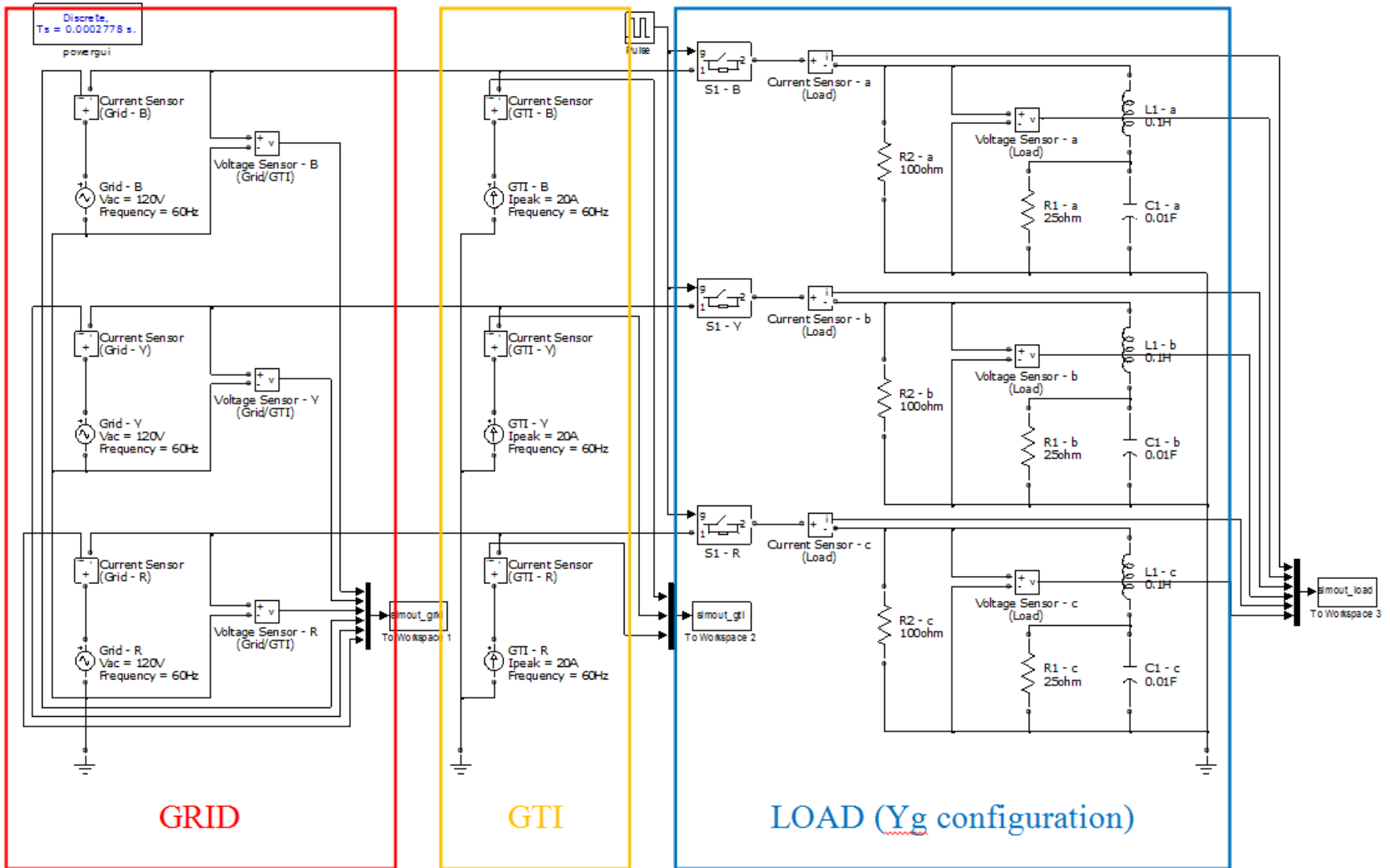
- No (temp) power storage – so **can be implemented via a controlled PV system!**



Actual testing on simulated 3-phase inductive load



- Rooftop PV system at UCSD Powel Lab
- OCC-GTI for power modulator (smart inverter)
- NI myRIO as PMU and controller
- Inductive load to simulate power oscillations



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- Automatically estimate:
 - # of modes of oscillations in measured disturbance
 - Estimate frequency and damping of the modes
 - Put results in dynamic model that can be used for control design!
- All done in real-time
- Resulting dynamic model can be used for feedback control design to mitigate oscillations
- MPC can be used to take into constraints
- Very promising results on disturbances measured at UCSD microgrid.